

Mathematics Applications Units 3 & 4 Test 3 2017

Section 1 Calculator Free

Time Series Analysis

STUDENT'S NAME: _____

DATE: Monday 15th May

TIME: 15 minutes

MARKS: 18

INSTRUCTIONS:

Standard Items: Pens, pencils, pencil sharper, eraser, correction fluid/tape, ruler, highlighters, Formula Sheet.

Questions or parts of questions worth more than 2 marks require working to be shown to receive full marks.

1. (3 marks)

(a)

Consider the following media report on the likely improvement in employment.

Ap str	oril job ads lift suggests rength: ANZ
Job a that Bank	ads in April grew at a stronger rate than they did in March, suggesting employment could strengthen further in coming months, says the ANZ r.
Source	:: AAP 😏 Tweet
8 MAY 2	017 - 12:26 PM UPDATED YESTERDAY 12:26 PM
A soli sugge	d rise in the number of jobs advertised in April, following a more modest lift in March, sts that employment is likely to strengthen over the coming months, the ANZ Bank says.
Jobs a 0.8 pe	advertisements rose 1.4 per cent in April, in seasonally adjusted terms, surpassing a rise of r cent in March, according to the latest job ads survey by the bank.
Annua	al growth in job ads jumped to 10.1 per cent, from 7.1 per cent in March.
State	the:
(i)	explanatory (independent) variable:
(ii)	response (dependent) variable:

(b) Circle the phrase in the report which suggests the response variable contains a cyclic component. [1]

[1]

[1]

2. (6 marks)



Consider the following *Time Series* graph showing Forest Timber Production.



(b) One graph shows a cyclic component in the data. State the length of the cycle. [1]

(c)	State the actual timber production when $t = 13$.	[1]
(· /		L J

- (d) In the ledger key, what does CMA stand for? [1]
- (e) Two graphs are shown. How do the two graphs relate? [2]

3. (5 marks)

Complete the following statements:

A seasonal index is a measure of how a season compares with the	he
	[1]
Seasonal indices are calculated so that their average is	
	[1]
If a seasonal index is 1.15, this means that this season is 15%	
than the average.	[1]
Deseasonalising is the process that is used to remove the season	al effects from a set of
data. This allows any	to be made clearer.
	[1]
To calculate deseasonalised data, each actual figure is	by its
appropriate seasonal index.	[1]

4. (4 marks)



Consider the following unemployment figures for an unknown country.

(a) Provide numerical evidence to support the graph's title.

(b) Draw on the graph two trend lines that indicate, except for a brief period, that unemployment was generally reducing over time. [1]
(c) During which two years did unemployment rise sharply? [1]

[2]



Mathematics Applications Units 3 & 4 Test 3 2017

Section 2 Calculator Assumed

Time Series Analysis

STUDENT'S NAME:							
DATE : Monday 15 th	^h May	TIME: 35 minutes			MARKS : 37		
INSTRUCTIONS:							
Standard Items: Pens, pencils, pencil sharper, eraser, correction fluid/tape, ruler, highlighter Formula Sheet retained from Section 1.				ters,			
Special Items:	Drawing instru (these notes to	iments, temp be handed i	plates, three c n with this as	alculators, sessment)	, notes on on	e side of a	single A4 page
Questions or parts of c	juestions worth n	nore than 2 i	marks require	working t	o be shown	to receive	full marks.

5. (5 mark)

The Seasonal Indices for the first 3 quarters of a company's sales figures are:

Q1:	127%
Q2:	71%
O3:	114%

(a) Determine the seasonal index for Q4

(b) If the Q2 actual sales figures are 1240, calculate the deseasonalised value. [2]

(c) A fitted trend line to the smoothed data, indicates that the seasonally adjusted figure for Q2 of the following year, is 1820. Determine a prediction for the <u>actual</u> sales figures. [2]

[1]

6. (19 mark)

The school canteen records icecream sales quarterly. The data is detailed below:

Year	Quarter	t	Sales	СМА	Seasonally Adjusted Sales
	1	1	300		265
	2	2	250		252
2014	3	3	200	286.25	288
	4	4	320	В	272
	1	5	450	342.88	397
2015	2	6	390	360.50	393
2015	3	7	223	384.88	329
	4	8	438	407.00	372
	1	9	527	436.88	465
2016	2	10	490	470.63	493
2016	3	11	362		521
	4	12	Α		483

(a) State the moving average used in the table above and explain the reason.

[2]

[1]

(b) Comment on the trend of the data.

Year	Q1	Q2	Q3	Q4	Average
2014	300	250	200	320	
2015	450	390	223	438	
2016	527	490	362		
Seasonal Indices	1.1342	0.9933			

The table below shows the seasonal indices for the above data:

(d) Calculate the missing seasonal indices in the table above.

[4]

The least squares line of regression, using the CMA, is y = 24.754t + 215.542

(e) Using the CMA line of regression, and the seasonal indices, predict the sales for Q2, 2017. [2]

(f) Determine the least squares line of regression y = at + b using the Deseasonalised Data. [3]

(g) Using the Deseasonalised line of regression, predict the sales for Q2, 2017 and explain why your prediction is different from that of part (e). [3]

7. (13 mark)

The data in the table below shows Year 12 mean daily attendance for the term over three years:

Year	Terms	t	Mean Daily Attendance	Yearly Average	Attendance as a % of the Yearly Average	Adjusted Attendance
	1	1	178			
2013	2	2	150			
	3	3	179			
2014	1	4	175			
	2	5	145			
	3	6	175			
	1	7	168			
2015	2	8	141			
	3	9	171			

(a) Complete the tables above and below to deseasonalise the attendance figures. [11]

	T1	Τ2	T3
2013			
2014			
2015			
Seasonal			
Index			

(b) Comment on the reliability of using this time series data to predict Term 2 attendance in 2017.

[2]